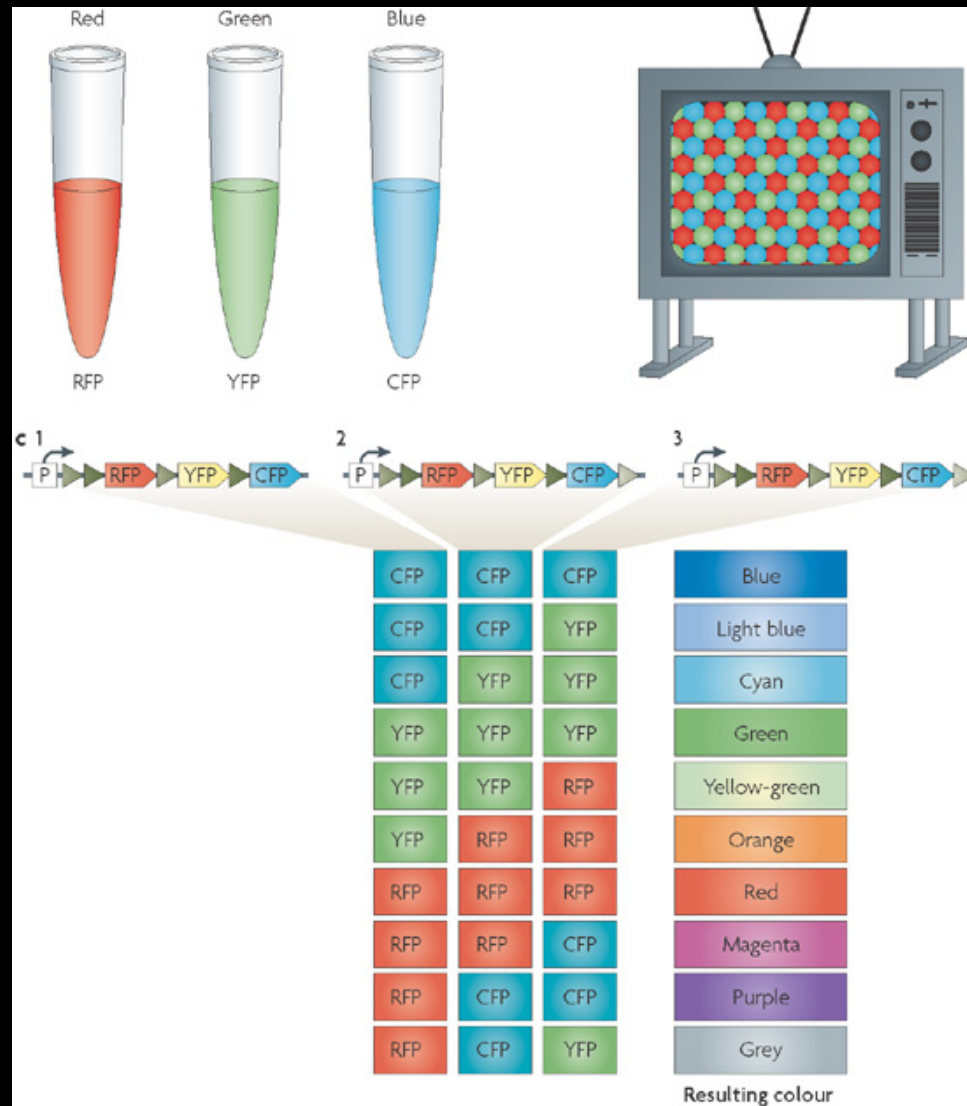


Semi-supervised segmentation of neurons from brainbow images

Uygar Sümbül, Suraj Keshri, Min-hwan Oh,
Dawen Cai, John Cunningham, Liam Paninski

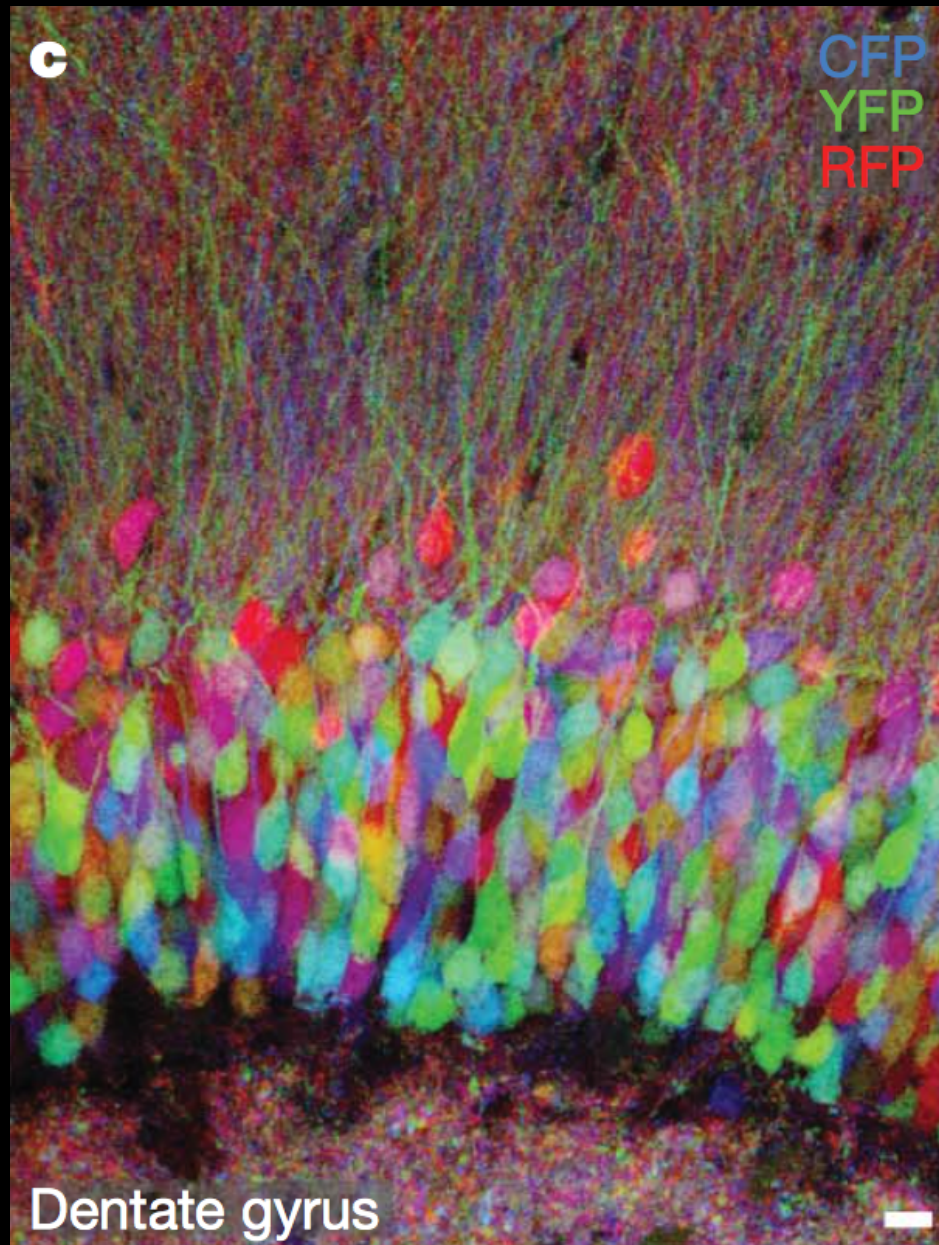
The Brainbow construct



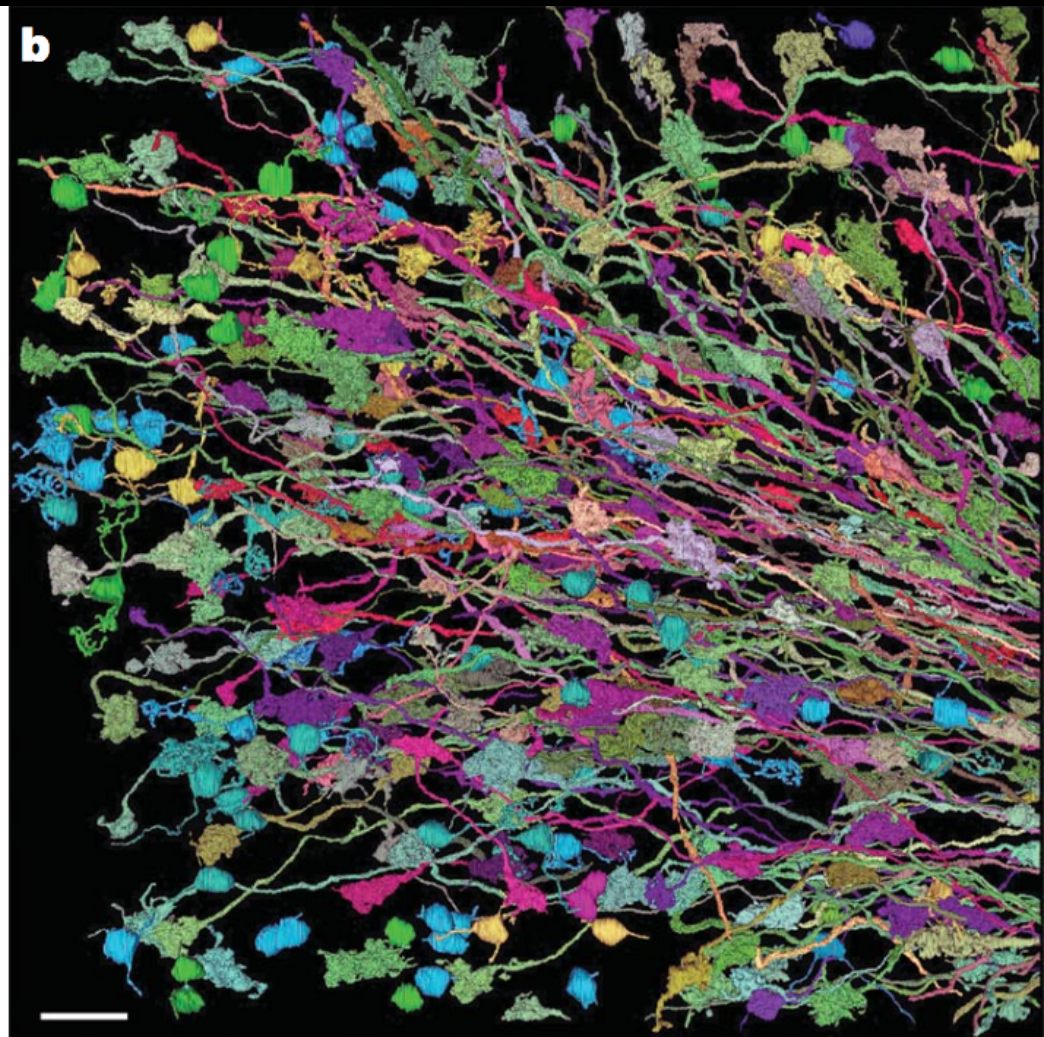
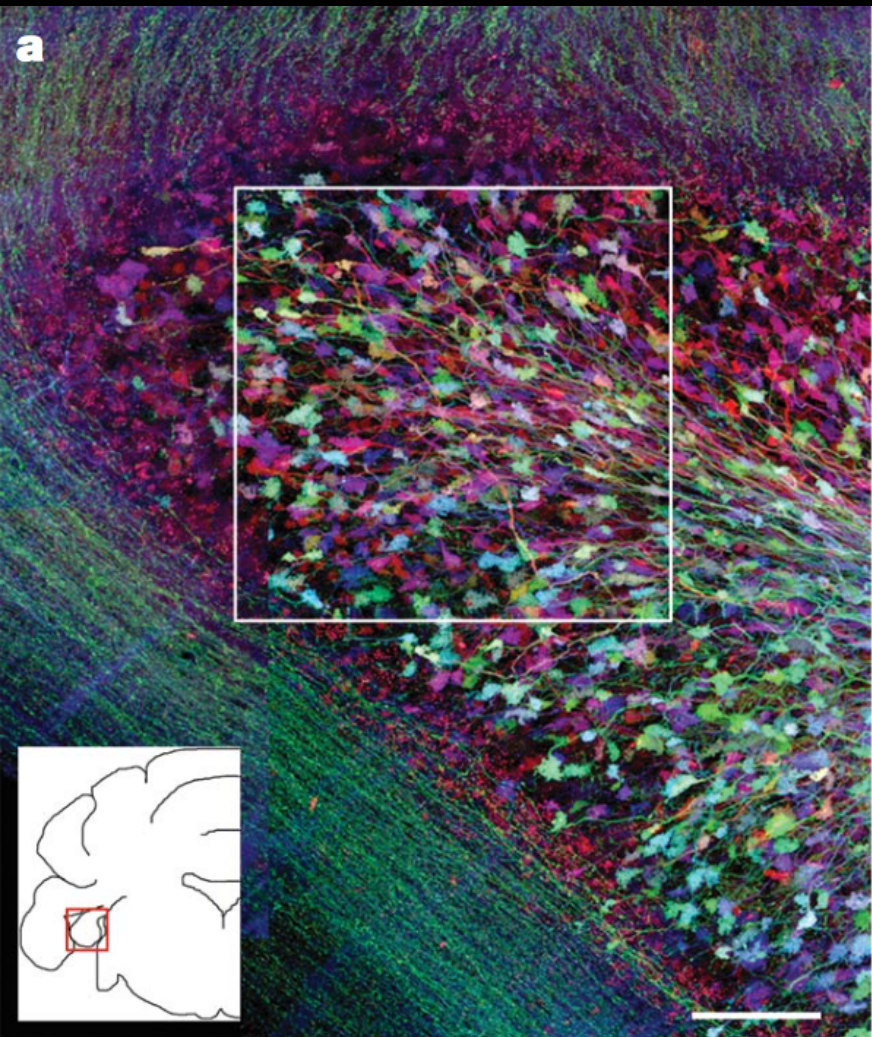
Lichtman et al.

- A tool to identify individual neurons by color

The structural substrate beneath

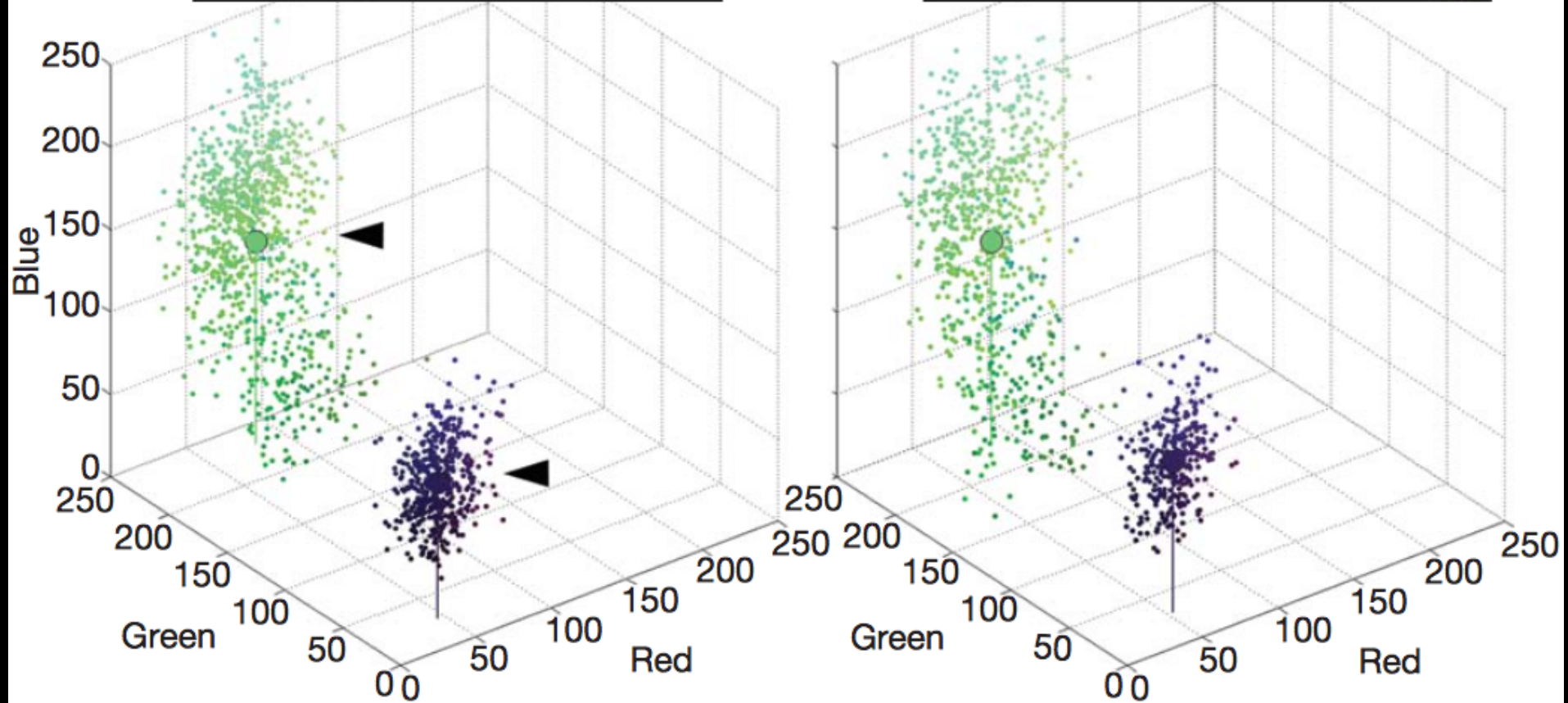
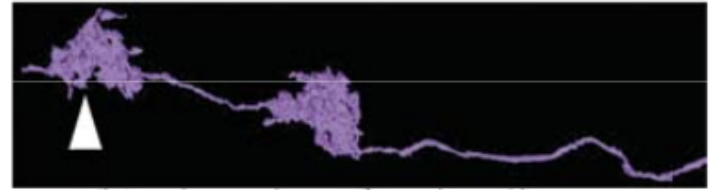
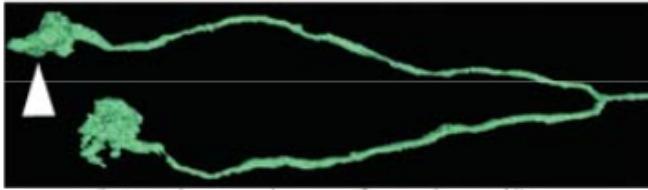


The structural substrate beneath

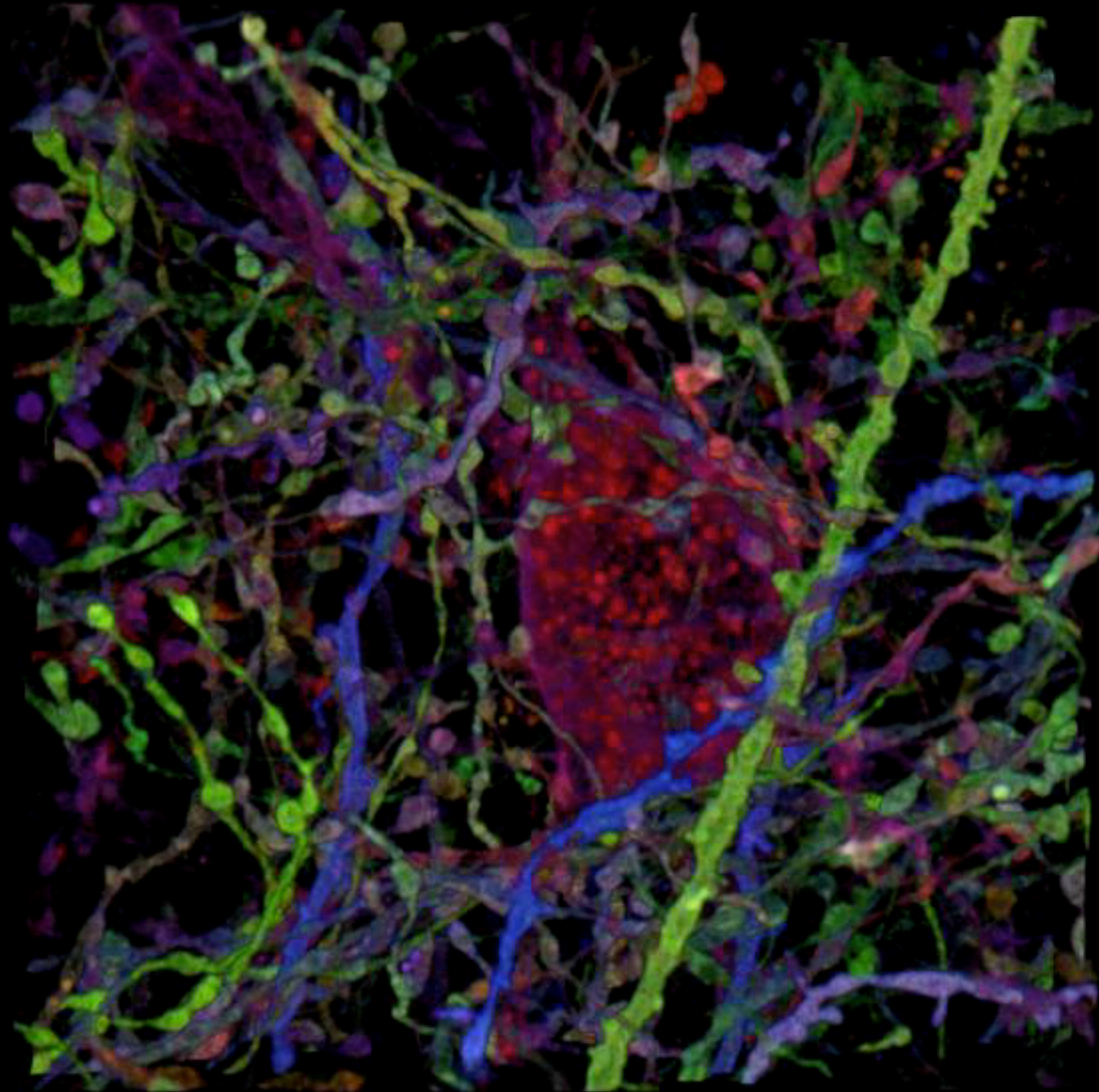


Noise sources

d

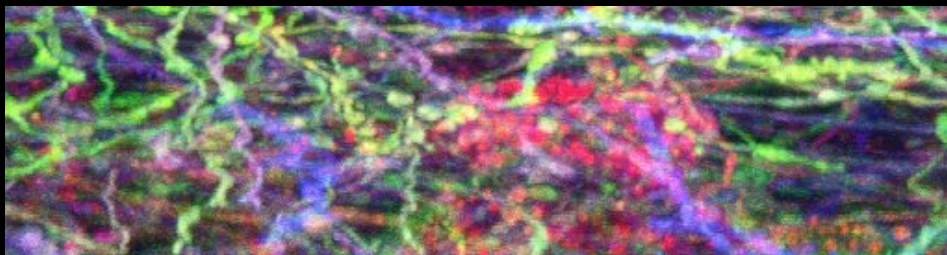
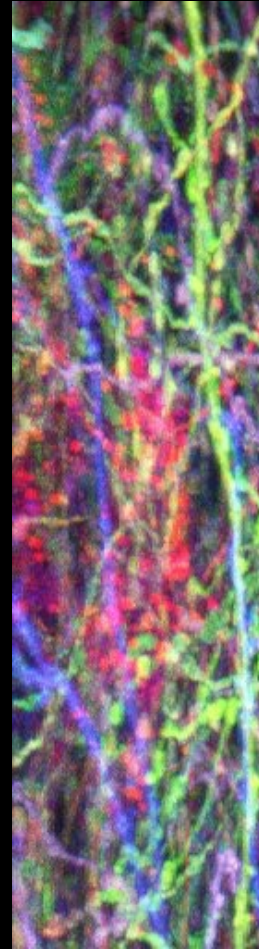
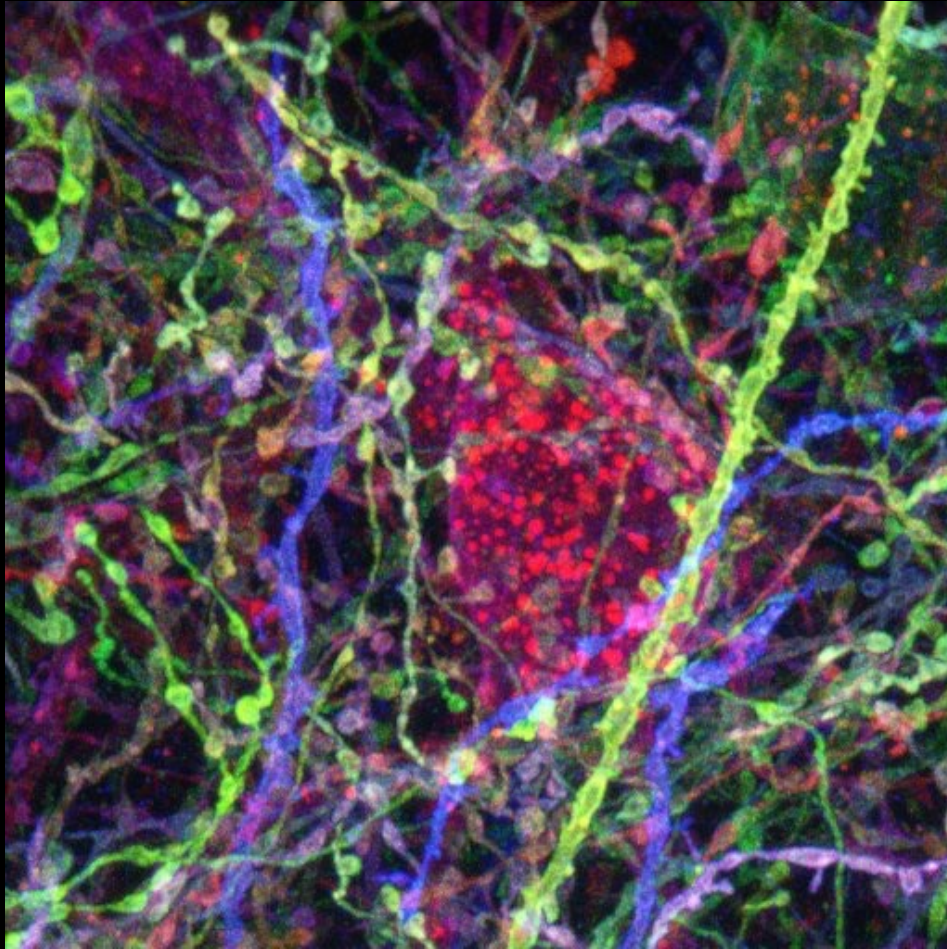


3D image stacks of neuronal tissues

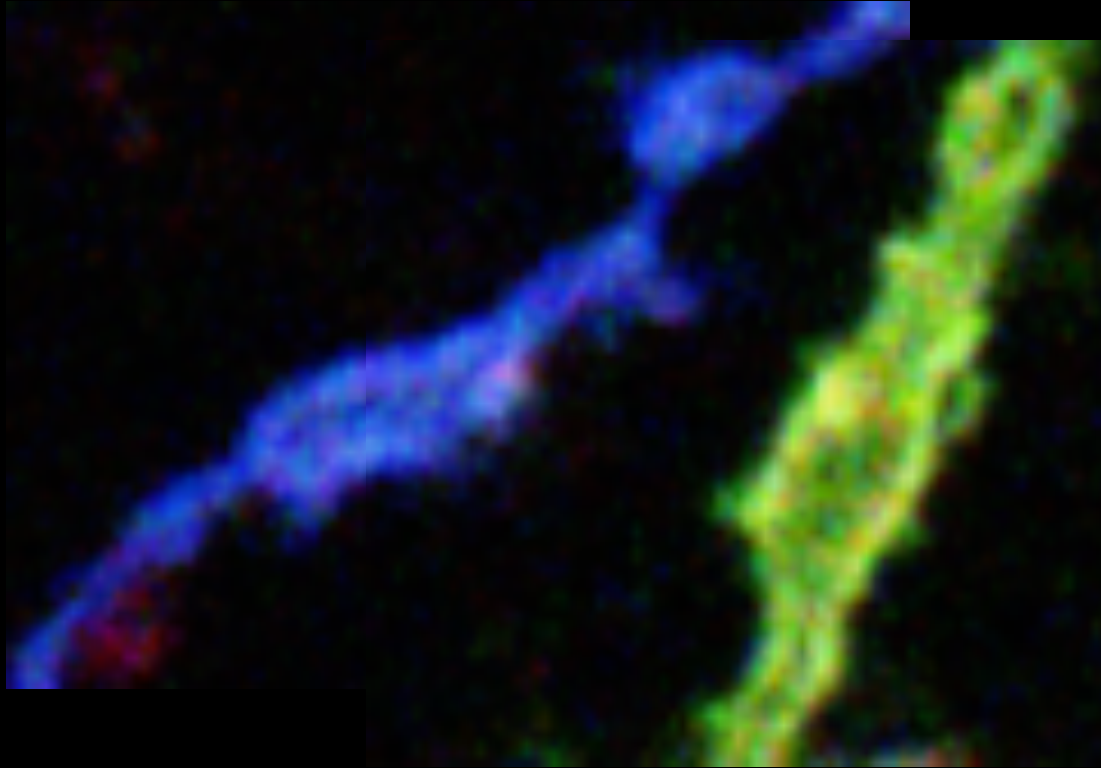


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UMich

Maximum intensity projections



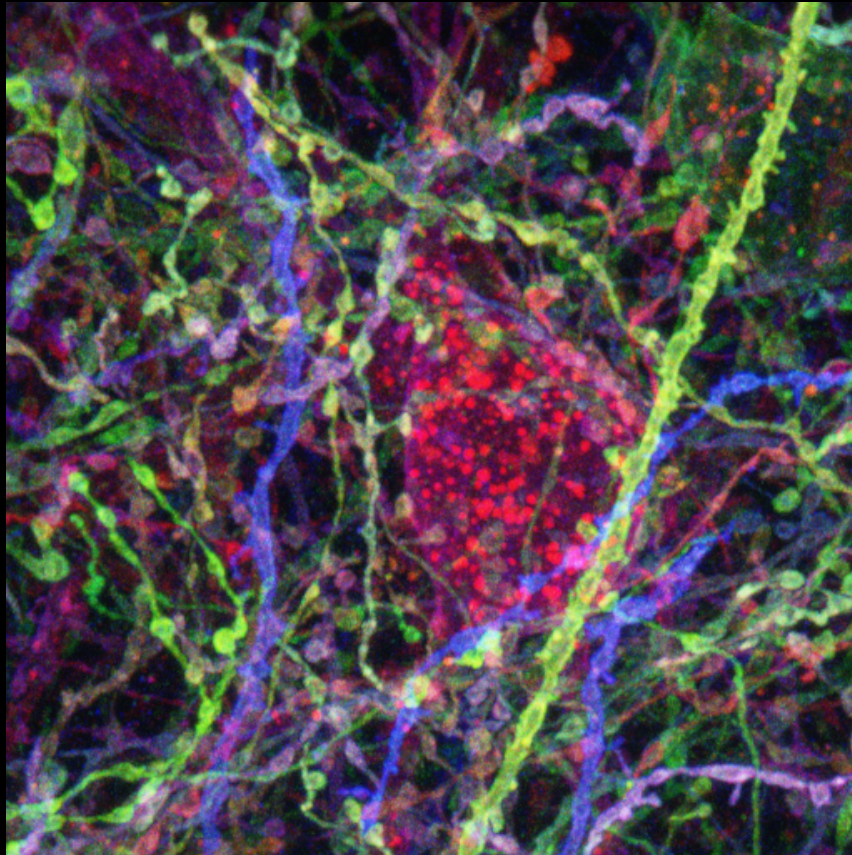
Noise in the Improved Brainbow



The task: segment individual neurons

- Partition the set of foreground voxels

$$S = \{ [x_v \ y_v \ z_v \ r_v \ g_v \ b_v] \}_v$$

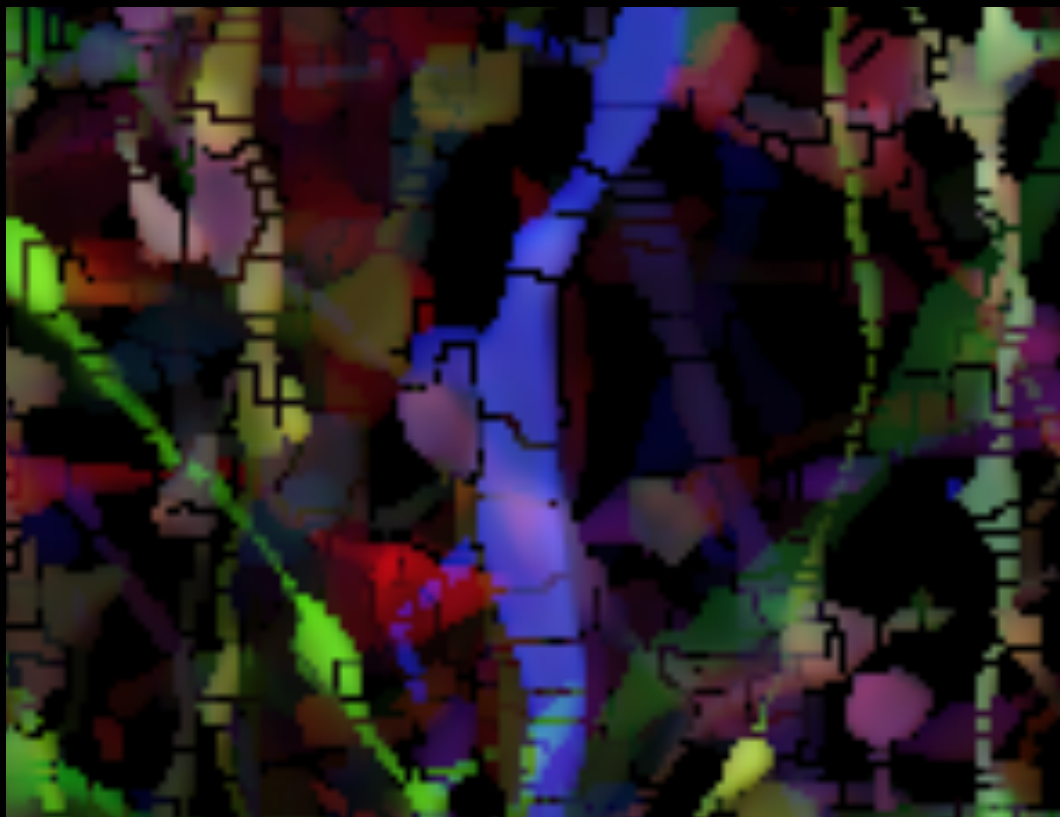


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UMich

- Very large apparent size

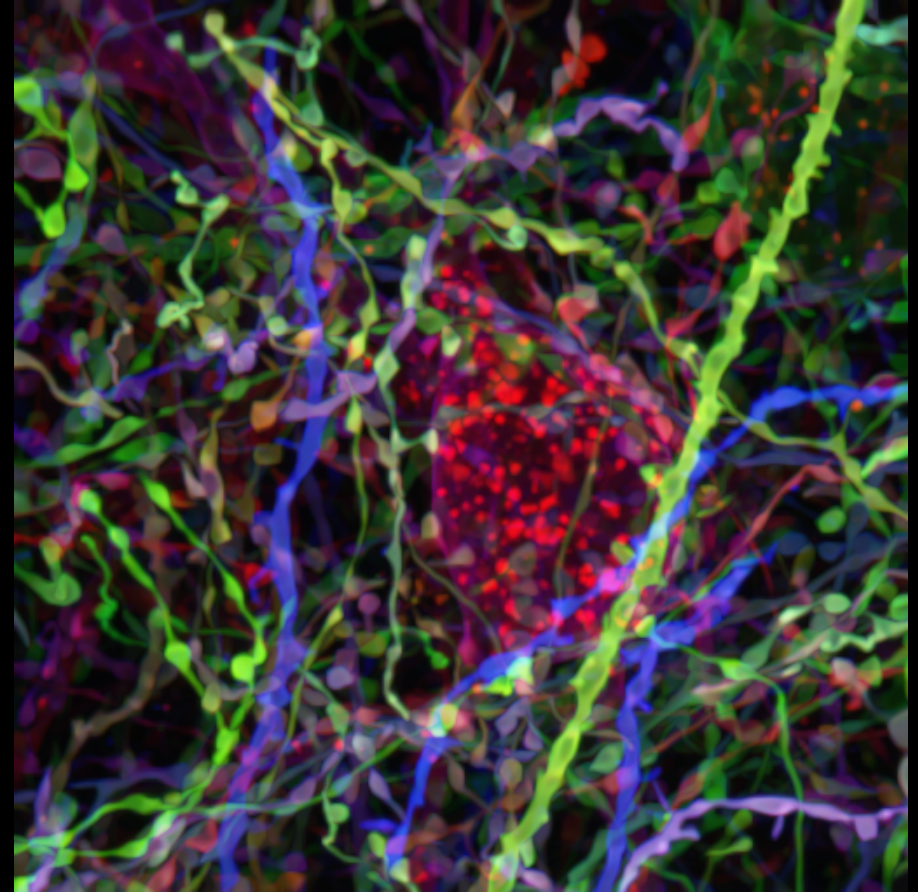
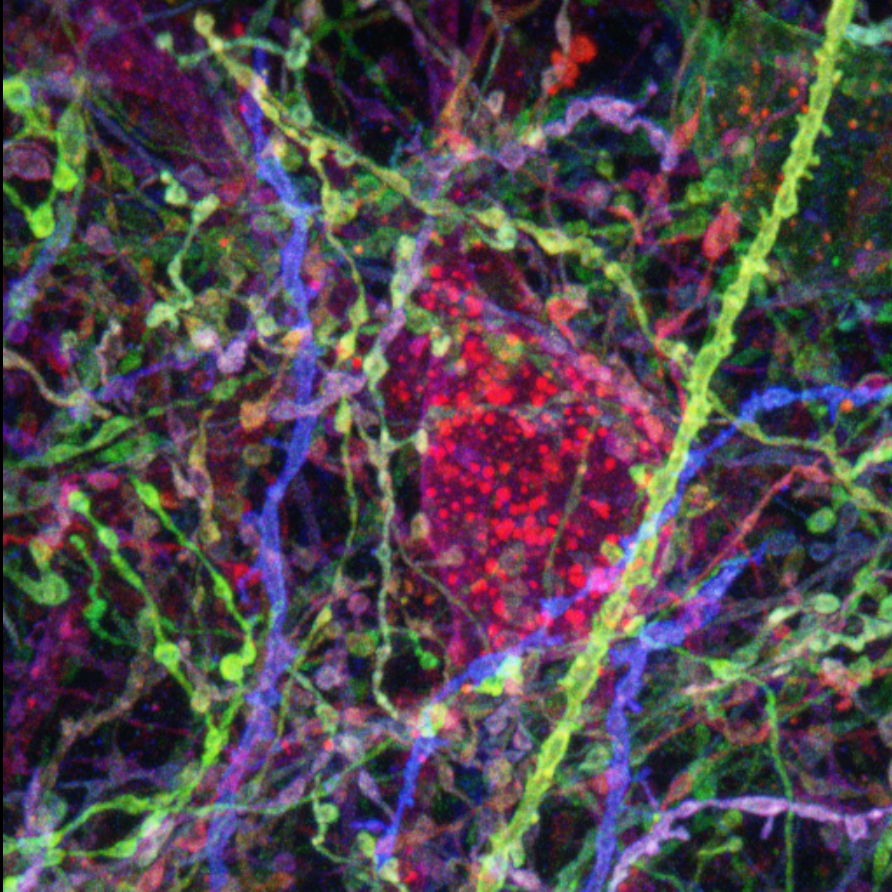
Supervoxels: connected voxels with similar colors

- Identify the foreground
- Obtain an oversegmentation

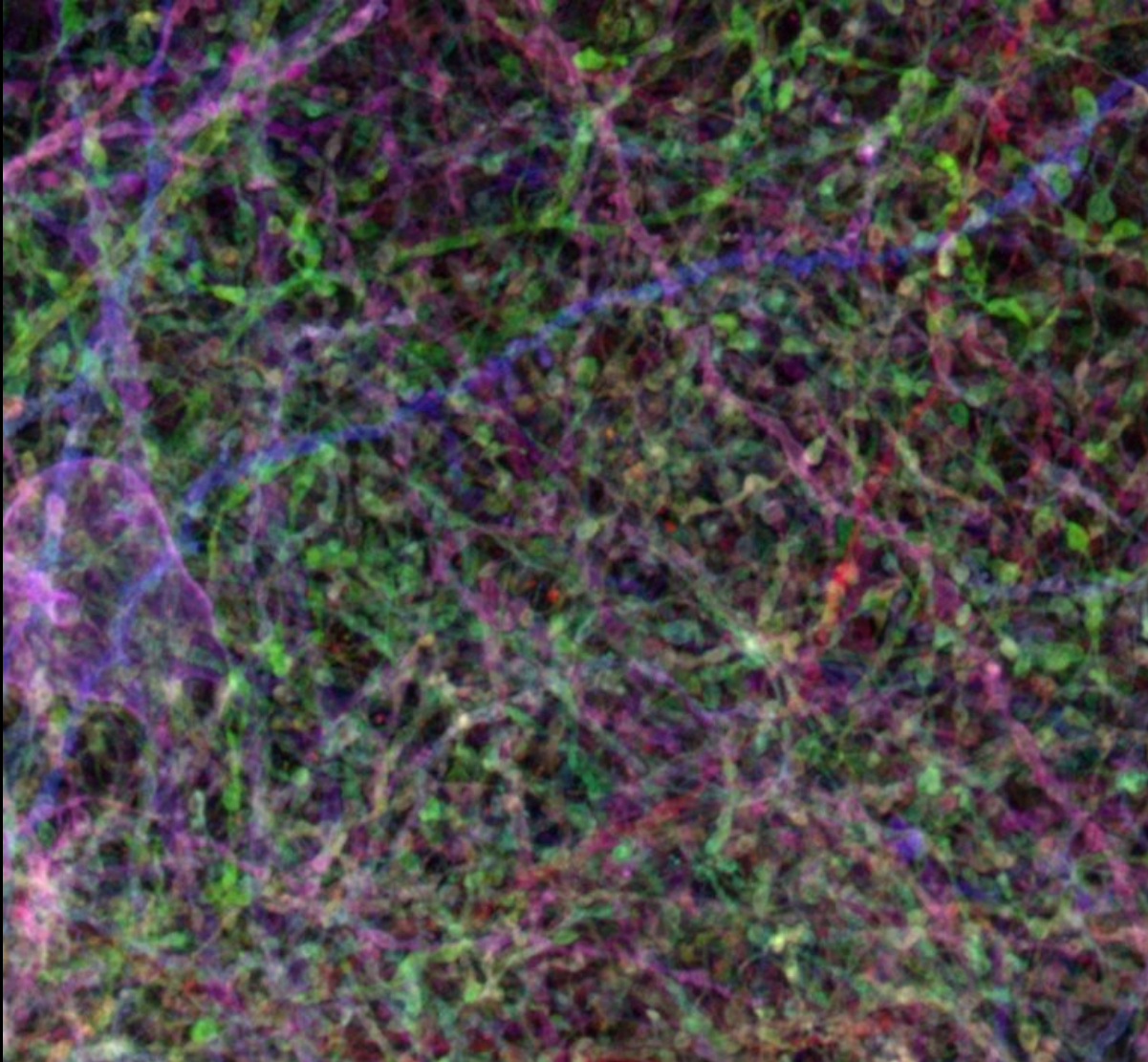


- Summarize each supervoxel's color with the mean:
- # voxels / # supervoxels \sim 100

Collaborative filtering and watershed transformation



STD projection of 3d stack to be segmented

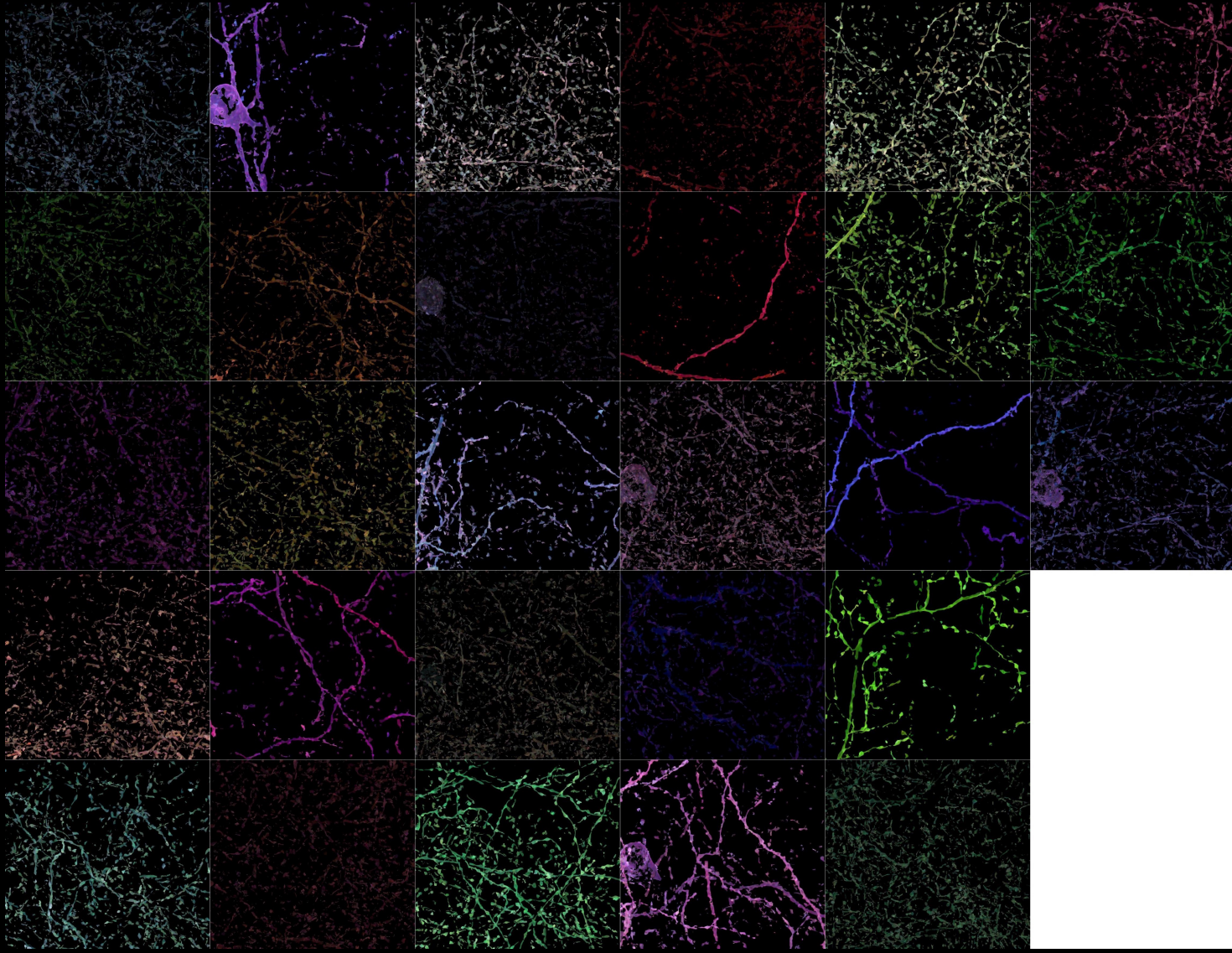


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- 764 x 704 x 223 voxels \sim 76 μ x 70 μ x 67 μ
- 125K supervoxels

A first approach: weighted k-means

- Transform to LUV color space
- Weights: Color SNR $\propto \sqrt{\text{voxel count}}$



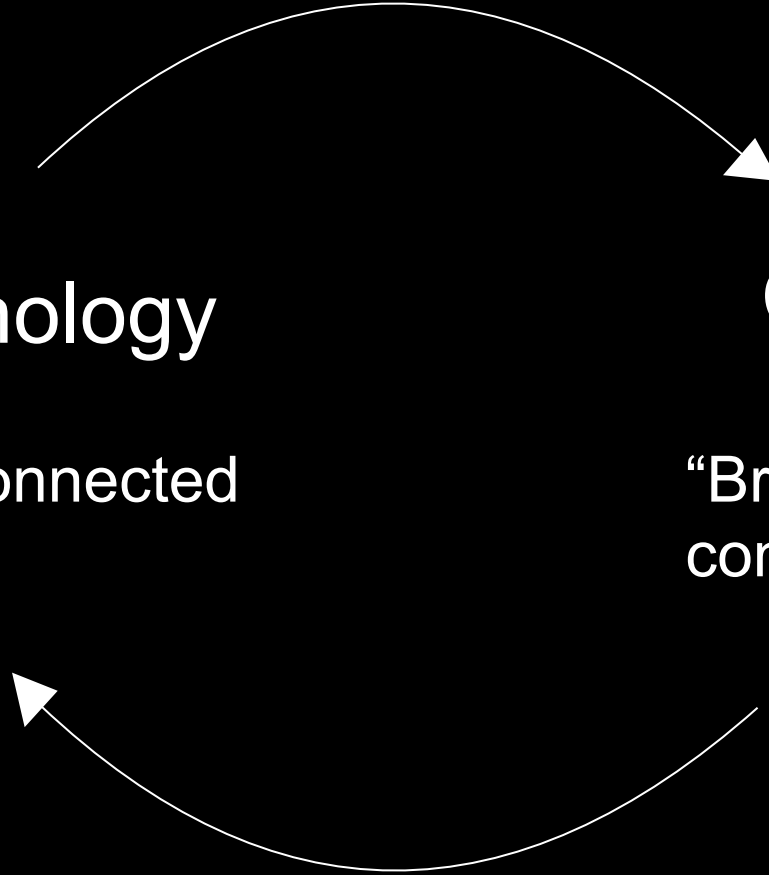
Utilize both space and color

Morphology

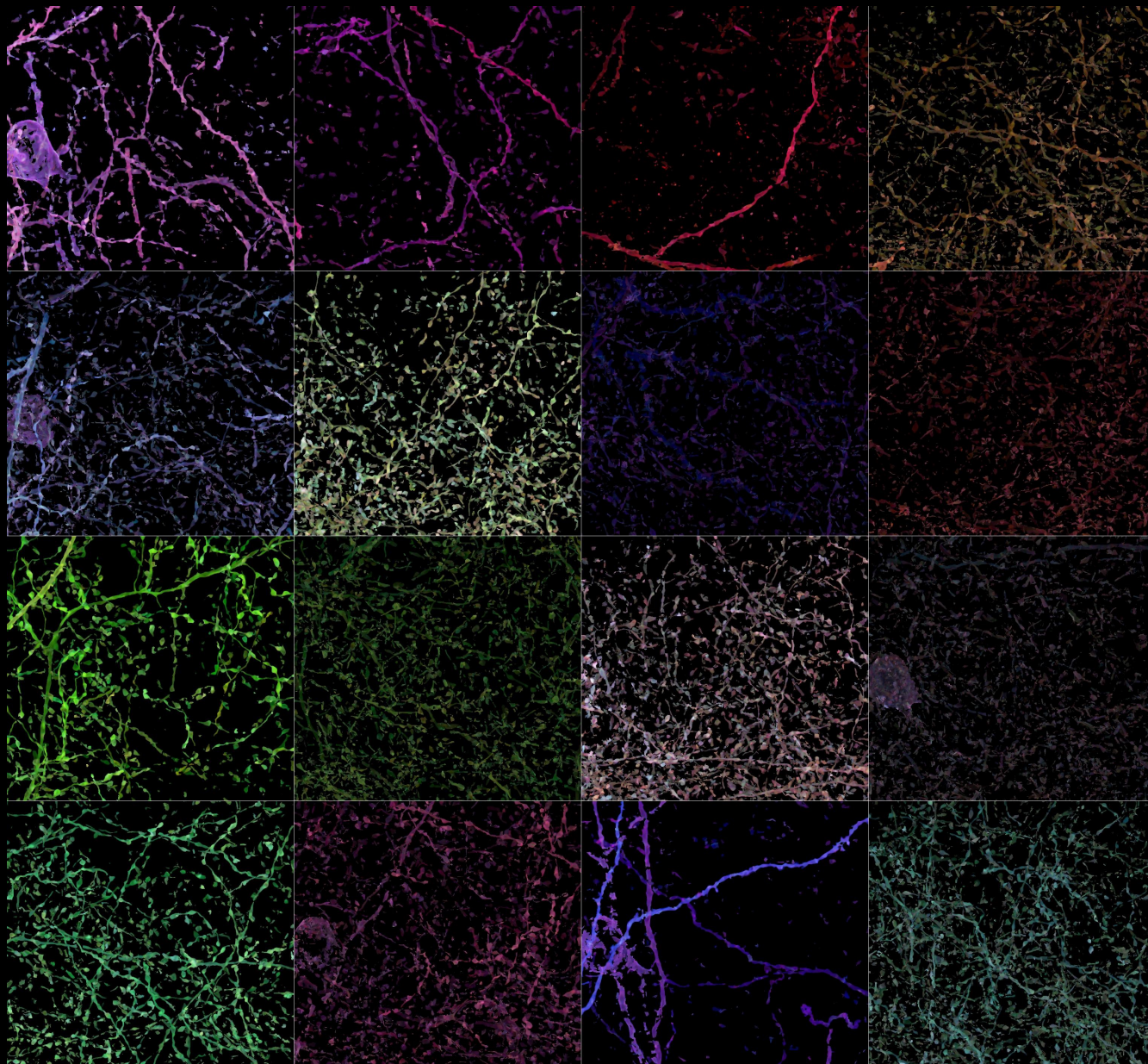
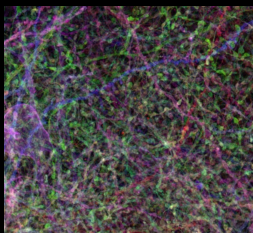
“Neurons are connected components.”

Color

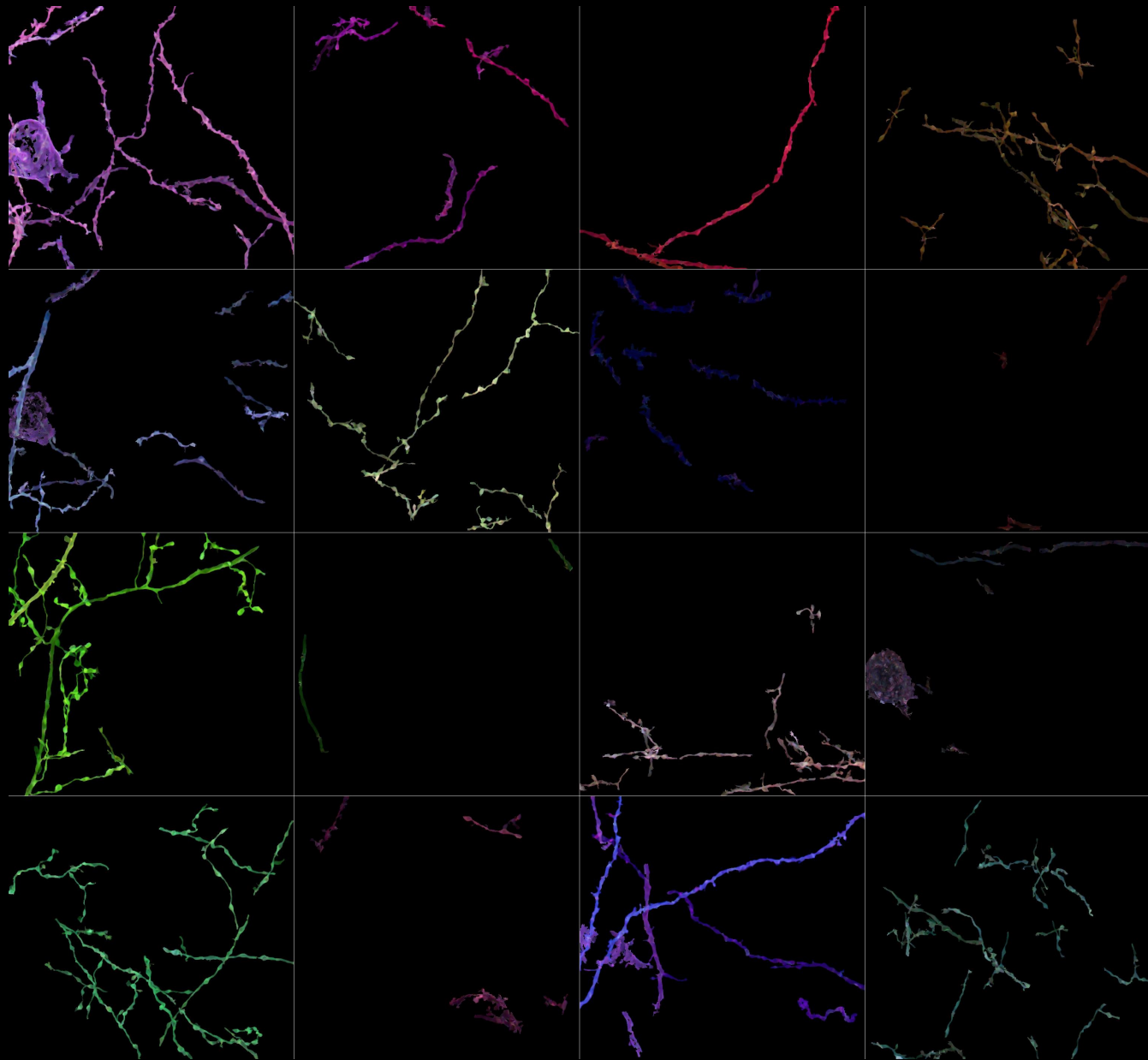
“Brainbow promises consistent colors.”



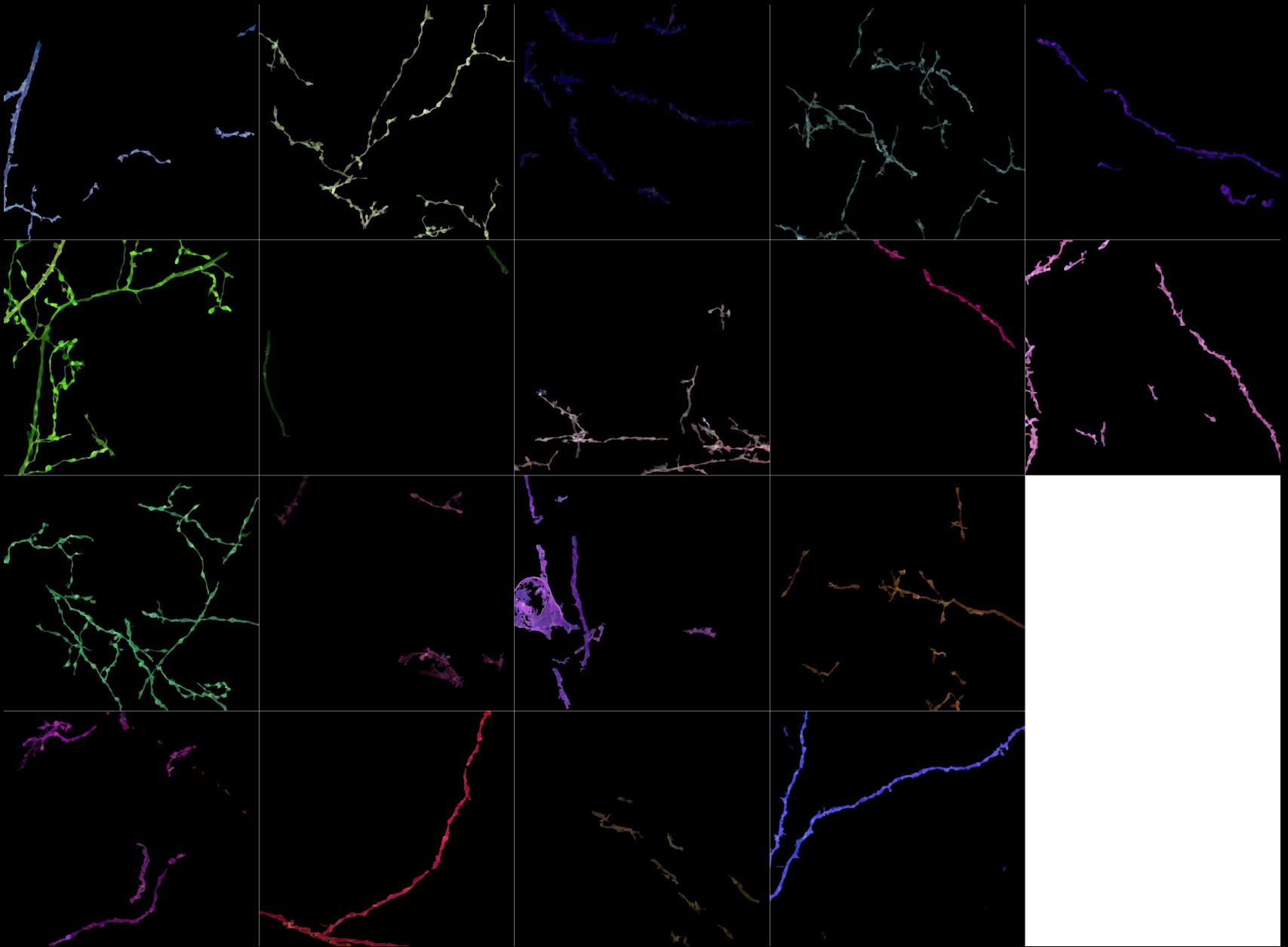
1. Undersegment with weighted k-means



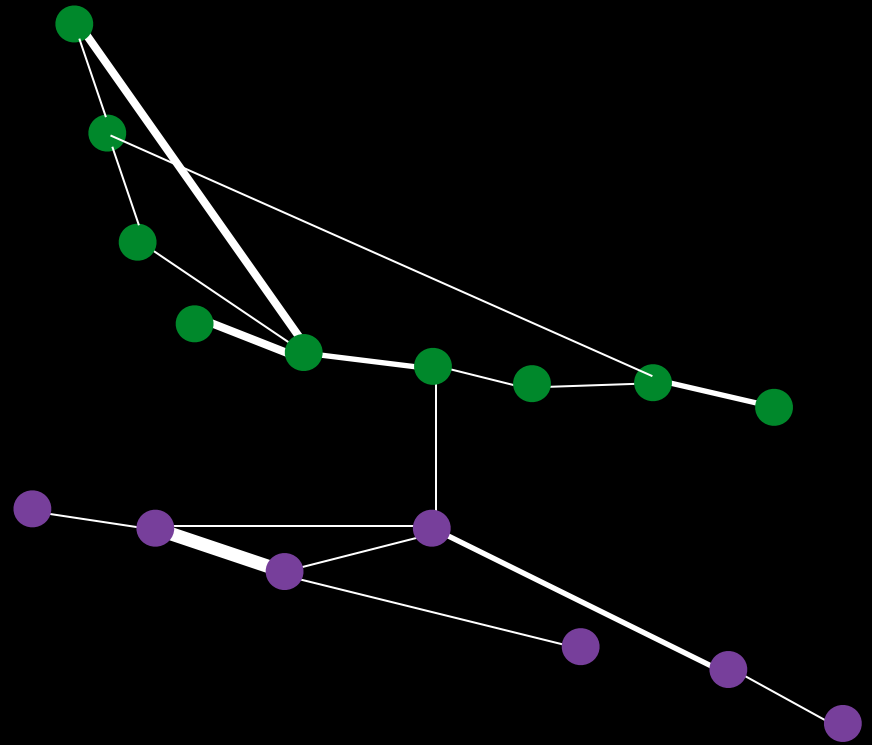
2. Retain big connected components



3. Cluster-level user manipulation

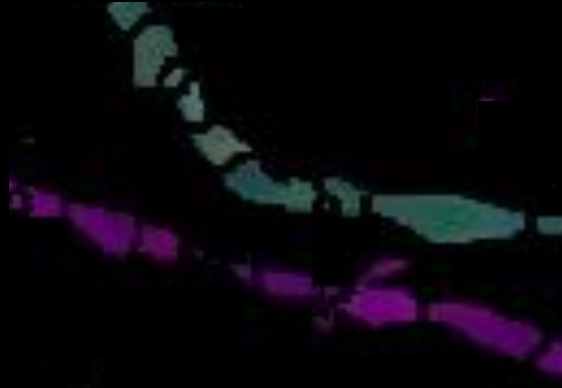


Supervoxels are the nodes of a graph



- Edge weights decay with color (and spatial) distance
- Small supervoxels can have local edges only
- Need sparse connectivity due to size
- The task: cluster the nodes of the graph

Semi-supervised spectral clustering

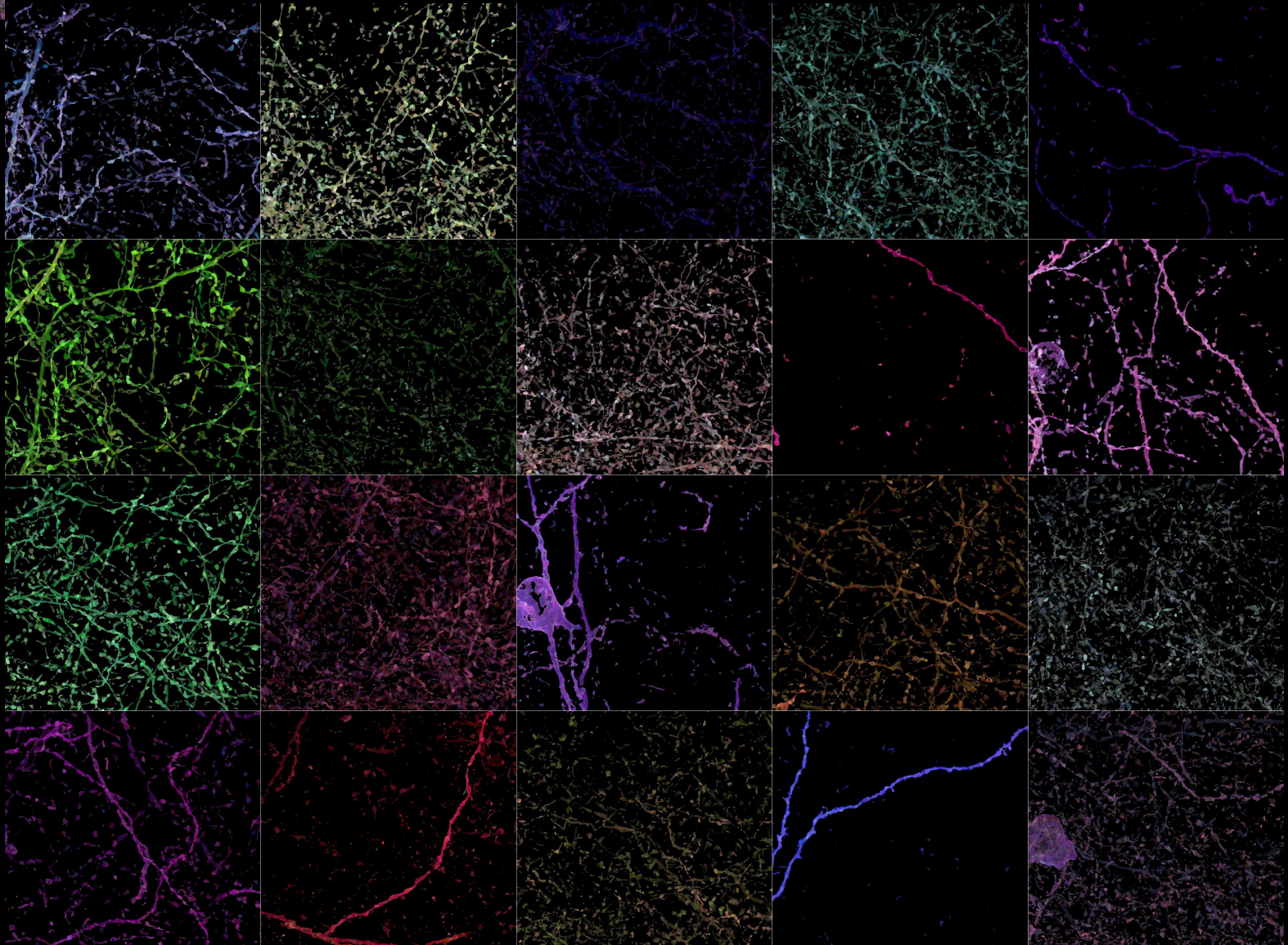
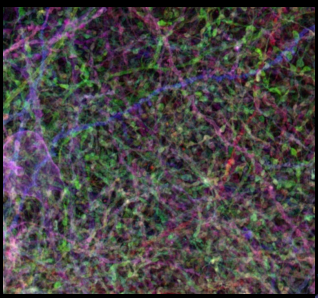


Kamvar et al, 2003
Kulis et al, 2005

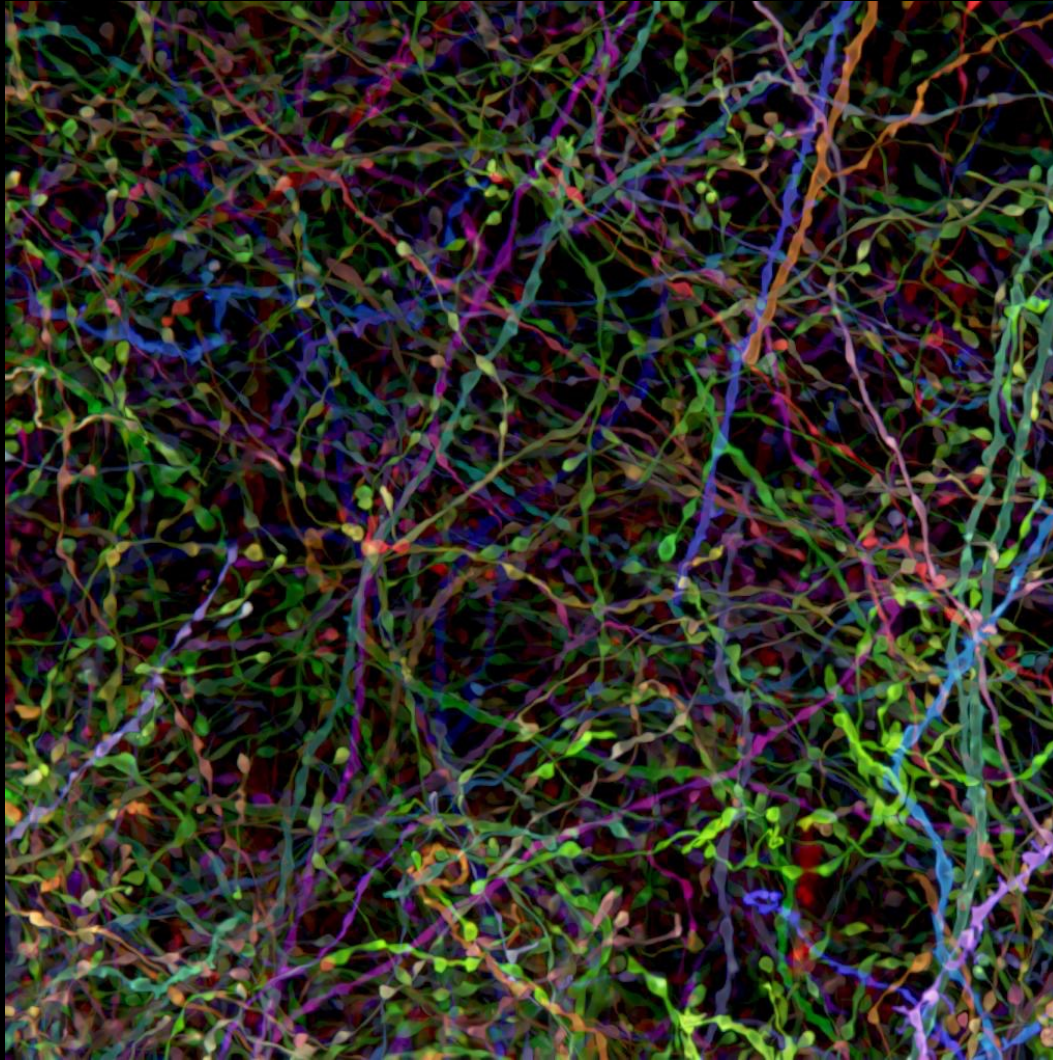
- Calculate affinity matrix (<2% dense)
- Impose edge weights from user input
- Calculate normalized eigenvectors of Laplacian

- Weighted k-means on the feature vectors
- Impose cluster memberships from user input

4. Spectral clustering



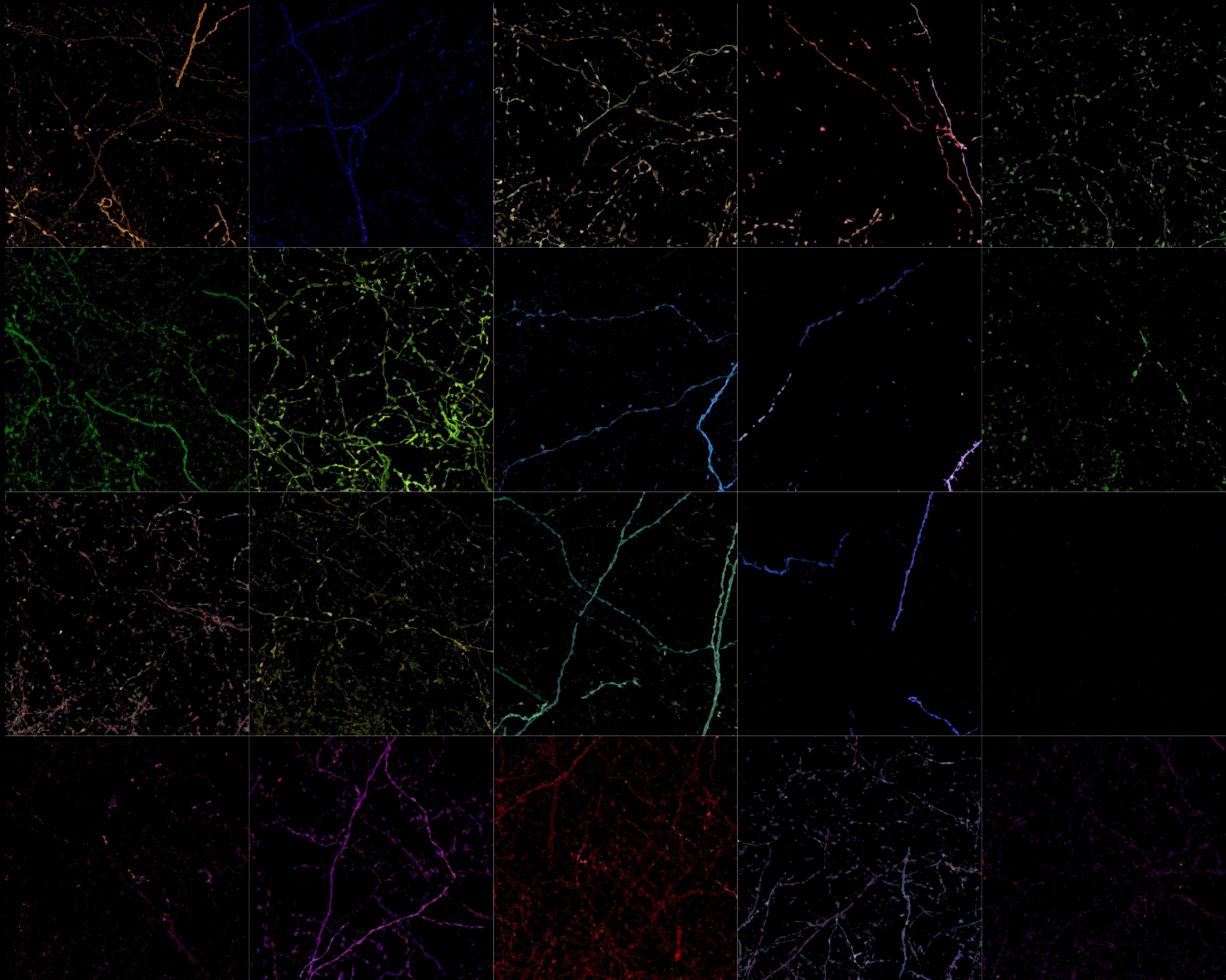
Another image stack (BM4d filtered)



Dawen Cai
UMich

- 1020 x 1020 x 225 voxels ~ 102 μ x 102 μ x 67 μ
- 86K supervoxels

4. Spectral clustering



Challenges

- Number of neurons
- Edge weights (spatio-color)
- Warmer starts for more user interaction